

Tutorial Session 39 – T73S03 (R5V4/5/7)
Definition and Relevance of C(t) and C*

Mentor Guide questions

- (1.0) Define the creep fracture parameters C^* and $C(t)$ and explain their relevance
- (1.1) State the contour integral definition of the creep fracture $C(t)$, including suitable contours to employ in its evaluation.
- (1.2) Draw a typical graph of $C(t)$ versus time for: (a) primary loading only; (b) secondary loading only; (c) combined primary plus secondary loading.
- (1.3) Describe algebraically, using the contour integral definition of J , why $C(t)$ is not in general equal to dJ/dt .
- (1.4) State the contour integral definition of the creep fracture parameter C^* , and hence show that $C^* = dJ/dt$. Discuss the implications of this for the possible contours to employ in a finite element calculation of C^* and contrast with $C(t)$.
- (1.5) State the form of the crack tip stress and strain fields for power-law creeping materials in terms of $C(t)$ (assuming a stationary crack and no plasticity).
- (1.6) State the expression for $C(t)$ in terms of J , and hence K , for sufficiently early times.
- (2) A crack on plant has been present from fabrication but only incubates (i.e., starts to grow) after 10,000 hours service. It has $K = 20 \text{ MPa}\sqrt{\text{m}}$ and $E = 160 \text{ GPa}$. Assuming no plasticity, no secondary stresses and purely secondary creep, evaluate $C(t)$ assuming the short time expression is valid and that the material has a creep exponent of $n = 4$. If the creep crack growth law is $\frac{da}{dt} = A.C(t)^q$ with $A = 0.221$ and $q = 0.891$, where the units are MPa, metres and hours, find the initial rate of crack growth in mm/year.